



# Climate Predictions with imperfect models

David Sexton

UKCIPnext Planning Retreat, 6-7 June, 2005

- Aim is to construct joint probability distribution  $p(X, m_h, m_f, y, o, d)$  of all uncertain objects in problem.
  - Input parameters ( $X$ )
  - Historical Model output ( $m_h$ )
  - Model prediction ( $m_f$ )
  - True climate ( $y_h, y_f$ )
  - Observations ( $o$ )
  - Model imperfections ( $d$ )
- It measures how all objects are related in a probabilistic sense

- Start with a perturbed physics ensemble
- Hypothesise that there is a set of input parameters,  $x^*$ , that provide the best climate model
- But acknowledge that this best model is imperfect and that there is a discrepancy,  $d$ , compared to real climate
- We only know the probability that each point in parameter space is the best-input model. But that means we need a model at every part of parameter space...

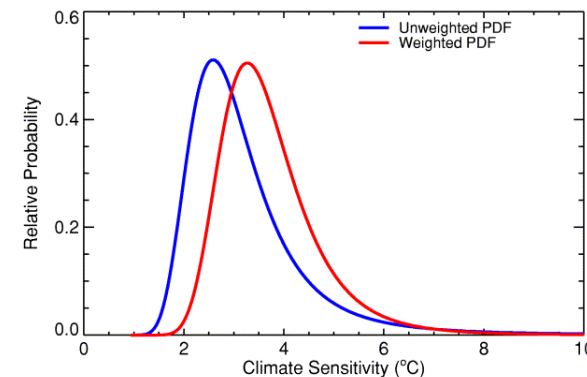
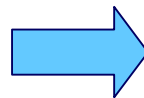
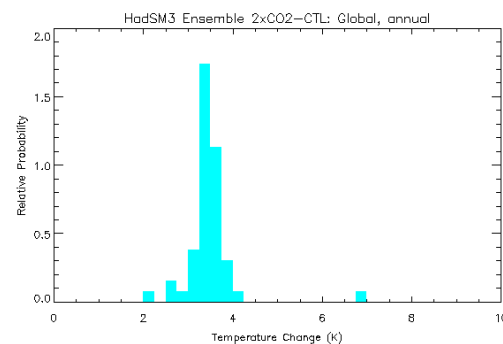
# Emulators and priors



Emulators are statistical models, trained on ensemble runs, designed to predict model output at untried parameter combinations (a t-distribution at each sampled point)

Prior distribution  $p(m_f)$  – pdf prediction before any observations used

Monte Carlo sampling of parameters combined with an emulator (combining lots of t-distributions) produces prior pdf (blue line).



- Use likelihood function i.e. skill of model is likelihood of model data given some observations

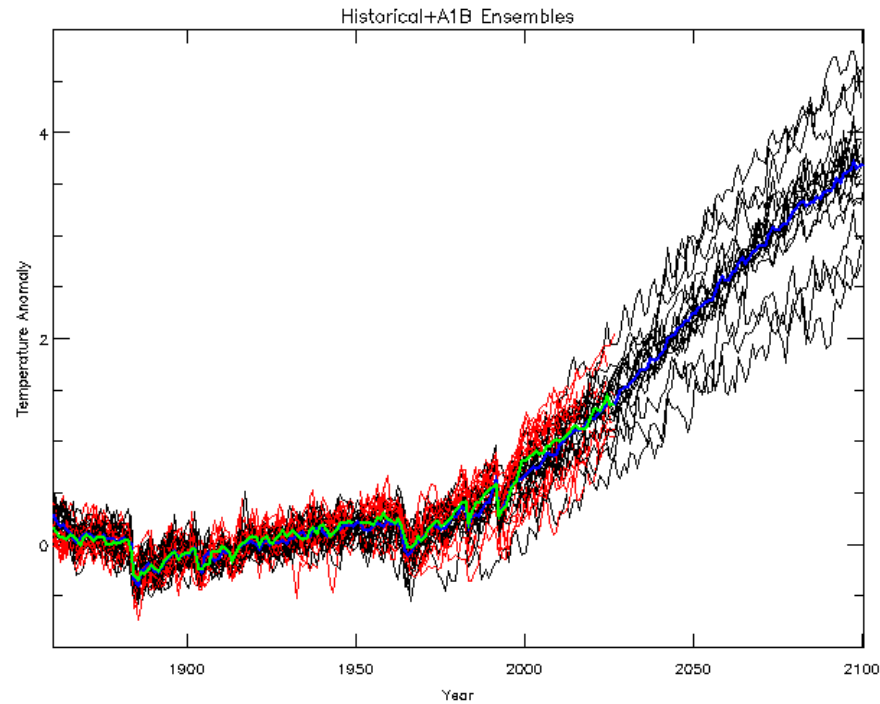
$$\log L_o(\mathbf{m}) = -c - \frac{n}{2} \log |\mathbf{V}| - \frac{1}{2} (\mathbf{m} - \mathbf{o})^T \mathbf{V}^{-1} (\mathbf{m} - \mathbf{o})$$

$\mathbf{V}$  = observational uncertainty + internal variability + discrepancy

Likelihood used to weight Monte Carlo ensemble members

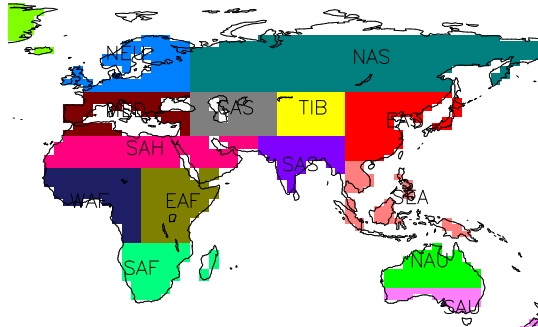
- Use multimodel ensemble
- Define discrepancy by some unknown hyperparameters,  $S$ .
- For each multimodel ensemble member, find best combination of  $x^*$  and  $S$  that maximises likelihood
- $S$  represents distance between multimodel ensemble member and QUMP i.e. effect of processes not explored by QUMP.
- r.m.s  $S$  over multimodel ensemble used to estimate discrepancy

# Historical and A1B Scenario



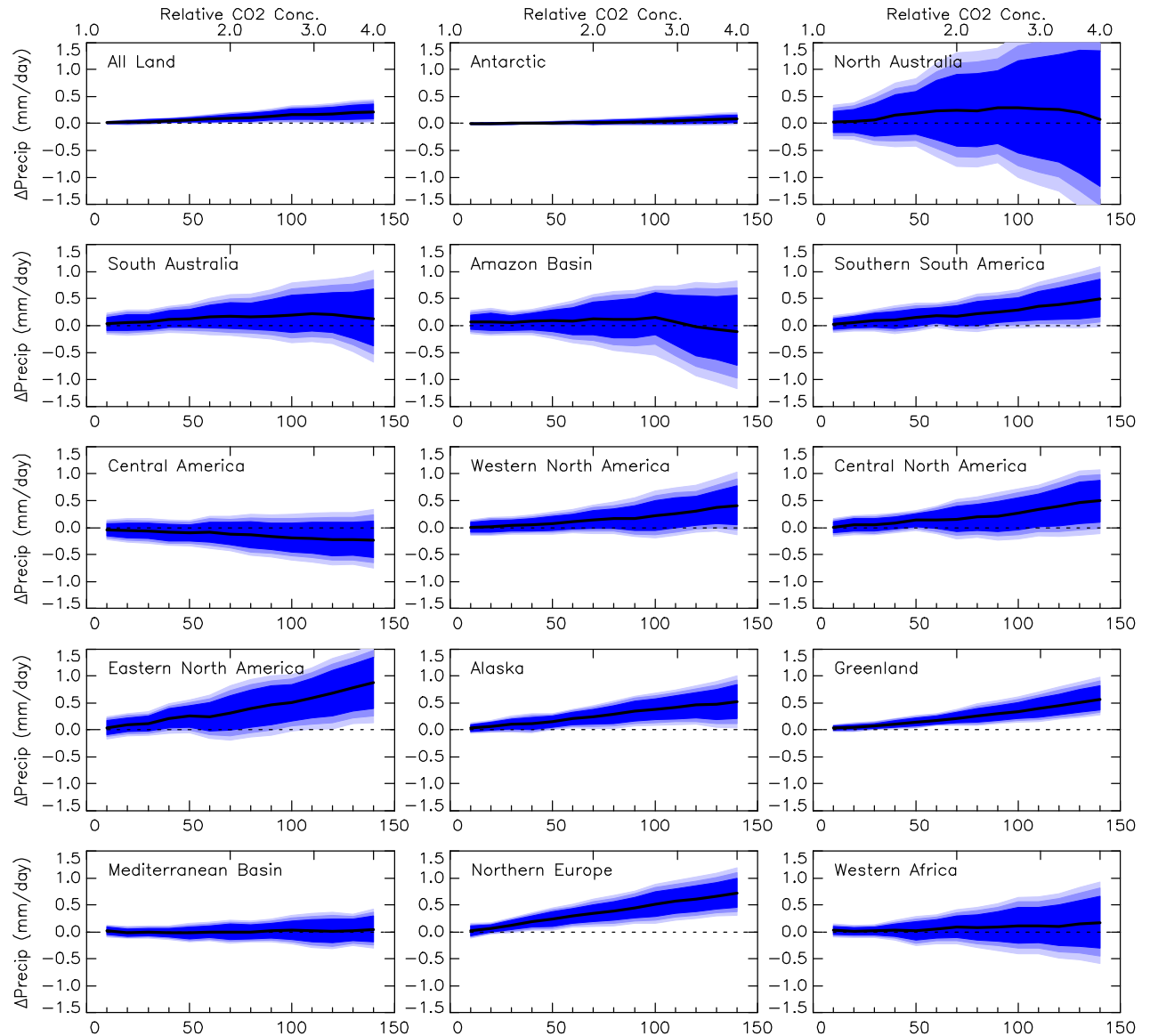
$$P(x,t) = \text{EBM\_global\_T}(t; \text{slab sensitivity}) * \text{slab pattern } P(x)$$

# Time-scaling Approach



Partial prior predictive distributions

Harris, et al., submitted





- Improve observational uncertainties
- Improve model i.e. reduce discrepancy
- Run larger ensembles
- Use more observational constraints independent of the ones used already
- Remove pattern scaling and downscaling steps
- Remove assumptions about linking sub-modules

- Avoids observations over-constraining the pdfs.
  - Avoids case where two sets of observations have constrained two pdfs that seem to contradict each other i.e. don't overlap much.
  - Avoids contradictions from subsequent analyses when some observations have been allowed to constrain the problem too strongly.
- Provides a means of accounting for model quality
  - Model improvements can subsequently be tracked
  - Constraint of observations gradually improve as model improves rather than jumping from “unusable” to “usable”.
  - Better models given more weight – physics matters!
- Can possibly be estimated from other climate centre's models and therefore allow for structural uncertainty.